Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. S.P. Patankar

Programme - B. Sc. I (Div-A and B)

Semester - I

Subject: Mathematics

Course Title: Differential Calculus- I

Month: July			Module/Unit: I	Sub-units planned
Lectures	Practicals	Total	Higher Order Derivative	Successive Differentiation Leibnitz Theorem
12	06	18		3. Partial Differentiation, Chain rule
Month: A	ugust		Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Higher Order Derivative	Euler's Theorem on Homogeneous function Maxima and Minima for function of two
12	05	17		variable 3. Lagrange's method of undetermined multipliers
Month :Se	eptember		Module/Unit: III	Sub-units planned
Lectures	Practicals	Total	Tracing of Curves and its Rectification	Definition of Tangents, Normal, Curvature Asymptotes
12	06	18		2.Procedure for tracing of curve given in cartesian form 3. Commom curves
Month : October			Module/Unit: IV	Sub-units planned
Lectures	Practicals	Total	Tracing of Curves and its Rectification	Parametric representation of curves and tracing of parametric curves
12	04	16		2. Parametric representation of curves and tracing of polar curves3. Rectification of the curves

Name and Signature of Teacher

(Mr. S.P. Patankar)

ESTD. FR. 1984

(Prof. S.P. Patankar) HEAD

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. S. P. Patankar

Programme - B. Sc. I (Div - A and B)

Semester - II

Subject: Mathematics

Course Title: Differential Equations - I

Month: No	ovember		Module/Unit: I	Sub-units planned
Lectures	Practicals	Total	Differential Equations of First Order and First	Exact Differential Equations: 1) Necessary and Sufficient condition for
12	06	18	Degree:	exactness. 2) Working Rule for solving an Exact Differential Equation. 3) Integrating Factors: 4)Integrating Factor by Inspection and examples. 5) Integrating Factor by using Rules (Without Proof) and examples.
Month : I	December		Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Differential Equations of First Order But Not of First	1)Equations solvable for p: Method and Problems.
12	05	17	Degree	 2) Equations solvable for x: Method and Problems. 3) Equations solvable for y: Method and Problems. 4) Clairaut's Form: Method and Problems. 5) Equations Reducible to Clairaut's Form.
Month: J	anuary		Module/Unit: III	Sub-units planned
Lectures			Linear Differential Equations With Constant	General Solution. Determination of Complementary Function. Fortigular Integral.
12	06	18	Coefficients: f(D)y=X	 3) Determination of Particular Integral. 4) General Method of Getting P.I. 5) Short Methods of Finding P.I. when X is in the form sin ax, cos ax, x(m being a Positive Integer), eV, x V where V is a function of x.
Month : February		10 30	Module/Unit: IV	Sub-units planned
Lectures	Practicals	Total	Homogeneous Linear Differential Equations (The	Method of Solution Legendre's Linear Equations. Method of Solution of Legendre's Linear.
12	04	16	Cauchy-Euler Equations)	3) Method of Solution of Legendre's Linear Equations.

Name and Signature of Teacher

(Mr. S. P. Patankar)

ESTD. Fr.
JUNE FR.
1964

(Prof. S.P. Patankar)

HEAD

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

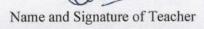
Name of the teacher: Mr. S. P. Patankar

Programme - B.Sc. III

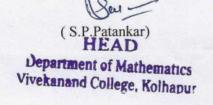
Semester - V

Course Title: Partial Differential Equations

Subject	t: Mathemati	ics		Course Title: Partial Differential Equations
Month Jul	y		Module/Unit: I	Sub-units planned
Lectures	Practicals	Total	Partial Differential Equation of order	1. Partial differential Equation, Order of the Partial differential equation, Degree of the Partial differential equation
12		12	one	 Derivation of a partial differential equation by the elimination of arbitrary constants. Derivation of a partial differential equation by the elimination of arbitrary functions. Lagrange's Linear Partial Differential Equation, method of solving the linear partial differential equation of order one. Working Rule for Solution of Langranges linear Partial differential equation. Geometrical Interpretation of Langranges linear partial differential equation.
Month Au	igust		Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Non- Linear Partial Differential	1. Explanation of the terms: i) Non linear partial differential equation. ii) Solution or Integral of a partial differential equation.
12		12	Equation of order one	 iii) Complete Integral. iv) Particular Integral. v)General Integral. vi) Singular Integral. Special Methods of Solutions applicable to some standard forms. Standare Form I and Standard Form II Standard Form III and Standard Form IV General Method of Solving equations of order one but of an degree : Charpit's Method. Working Rule for Charpit's Method
Month :S	entember	0.200	Module/Unit: III	Sub-units planned
Lectures	Practicals	Total	Linear Homogeneous	1. Explanation of the terms i)Linear partial differential equation of order n. ii) Solution of Linear Partial differential equation. iii)
12		12	Partial Differential Equations with Constant Coefficients	Linear Homogeneous Partial differential equation with constant coefficients. 2. Solution of linear homogeneous partial differential equation with constant coefficients 3. Methods for finding the complementary functions (C.F) 4. Methods for finding the particular Integrals (P.I). 5. General method for finding particular Integral.
Month: 0	October		Module/Unit: IV	Sub-units planned
Lectures	Practicals	Total	Non- Homogeneous	Definition of Non – homogeneous linear partial differential equation with constant coefficients and Solution of non
12		12	Partial Differential Equations with Constant Coefficients	homogeneous partial differential equation 2. Solution of the equation (D - m D' - K) z = 0 3. Methods for finding the complementary function (C.F) of a non homogeneous equation 4. Methods for finding particular Integral (P.I) of non homogeneous linear equations with constant coefficients Case 1 and Case 2 5. Case 3 and Case 4 6. Equations reducible to linear form with Constant coefficients.
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Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. S. P. Patankar

Programme - B.Sc. III

Semester - V

Subject: Mathematics

Course Title: Numerical Method - I

Month Jul	ly		Module/Unit: I	Sub-units planned
Lectures 12	Practicals	Total	Non Linear Equations	 Introduction: Polynomial equation, algebraic equation and their roots iterative methods, Bisection method, algorithm, examples Secant algebraic method: iterative sequence of secant method, examples Regula-Falsi method: algorithm, graphical representation, examples. Newton's method: algorithm, examples.
Month August		Module/Unit: II	Sub-units planned	
Lectures	Practicals	Total	System of Linear Equations: Exact Method	Introduction: System of linear equation as a vector equation Ax = b, Augmented
12		12		matrix. 2. Direct methods: Gauss elimination method: Procedure, Examples 3. Gauss-Jordan method: Procedure, examples. 4. Iterative methods: General iterative rule
Month : September		Module/Unit: III	Sub-units planned	
Lectures	Practicals	Total	System of Linear Equations : Iterative	 Jacobi iteration scheme, examples. Gauss-Seidel method: Formula,
10		10	Methods	examples.

Name and Signature of Teacher

(Mr. S. P. Patankar)

ESTD. FOR JUNE IN 1964

(Mr.S.P.Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. S. P. Patankar

Programme - B.Sc. III Subject: Mathematics Semester - VI

Course Title: Complex Analysis

Month: N	ovember		Module/Unit: I	Sub-units planned
Lectures 13	etures Practical 13		Analytic Function	 limit continuity of a function of a complex variable and complex valued function. Differentiability and continuity and elementary rules of Differentiation with Analytic function and Analytic function in domain. Necessary and sufficient condition for F(z) = u+iv to be Analytic and examples. Limit of a sequence of complex numbers, Polar form of Cauchy- Riemann Equation. Harmonic function, conjugate harmonic function,
				Construction of Analytic function. 6. Solved problems related to the test of analyticity of
				functions and construction of analytic function.
Month: D	ecember		Module/Unit: II	Sub-units planned
Lectures	Practical	Total	Complex Integration	Elementary Definitions, Complex line integral, Integral along oriented curve and examples
20		and its examples. 3. Jordan curve, orientation of Jordan curve, Simple connected and multiply connected domain. 4. Rectifia curve and their properties. 5. Higher order derivative of an analytic function. 6. Development of an analytic function as a power serie Taylor's theorem for complex function. (b) Examples	Cauchy's integral formula for multiply connected domain and its examples. 3. Jordan curve, orientation of Jordan curve, Simple connected and multiply connected domain. 4. Rectifiable curve and their properties. 5. Higher order derivative of an analytic function. 6. Development of an analytic function as a power series (a) Taylor's theorem for complex function. (b) Examples on Taylor's and Laurent series.	
Month: Ja	anuary		Module/Unit: III	Sub-units planned
Lectures	Practical	Total	Singularities And Residues	1. Zeros of an analytic function, singular point, Different types of singularity, poles and zeros are isolated.
10		10		2. Limiting point of zeros and poles, Residue theorem, residue at a pole and residue at infinity. 3. Cauchy's residue theorem, Computation of residue at a finite pole 4. Integration round unite circle, Jordan's lemma 5. Evaluation of Integrals when f(z) has no poles on the real line when poles on the real line.
Month : F	ebruary		Module/Unit: IV	Sub-units planned
Lectures	Practical	Total	Entire Monomorphic Functions	Definition of entire and meromorphic functions. (a) Characterization of polynomials as entire functions (b)
09		09		Characterization of rational functions as meromorphic functions. 2. Mittag Leffler's expansion Rouche's theorem and solved problems. 3. Some theorems on poles and singularities

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Name and Signature of Teacher

(Mr. S. P. Patankar)





Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. S. P. Patankar

Programme - B.Sc. III

Semester - VI

Subject: Mathematics

Course Title: Numerical Method - II

Month: N	Month: November		Module/Unit: I	Sub-units planned
Lectures 12	Practicals	Total	Interpolation : Equal Interval	Forward interpolation: Newton's forward differences, forward difference table. Newton's forward form of interpolating polynomial (formula only) examples Backward interpolation: Newton's backward differences, backward difference table, Newton's backward form of interpolating polynomial (formula only).
Month De	ecember		Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Interpolation: Unequal Interval	Introduction, Lagrangian interpolating polynomial (formula only), examples
10		10		 Divided difference interpolation:, Newton's divided differences, divided difference table, examples finding divided (differences of given data) Newton's divided difference form of interpolating polynomial, examples
Month : J	anuary		Module/Unit: III	Sub-units planned
Lectures	Practicals	Total	Numerical Differentiation	Numerical differentiation based on interpolation polynomial.
18		18	and Integration	 Numerical integration: Newton-Cotes formula (statement only) composite Trapezoidal rule composite Simpson's 1/3rd rule, examples composite Simpson's 3/8th rule, examples.

Name and Signature of Teacher

(S.P. Patankar)

ESTD. FR. 1984 SS

(S.P. Patankar)
HEAD
Department of Mathematics
Vivekanand College, Kolhapur

Department of mathematics Academic Year: 2019-2020

Annual Teaching Plan

Name of the teacher: Mr. S. P. Patankar

Programme - B. Com I

Semester - I

Subject: Mathematics

Course Title: Business Mathematics Paper I

Month: July			Module/Unit: I/II	Sub-units planned
Lectures	Practicals	Total	Arithmetic and geometric	 Definitions of A.P. Definitions of G.P.
18	00	18	progression 2. Compound interest, ratio, percentage, proportion and partnership	 Formulae for nth term and sum to n terms of A.P. and G.P. Simple examples. Different types of interest rates Simple examples on simple interest and compound interest.
Month: A	ugust		Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Compound interest, ratio,	1.Introduction to ratio and percentage 2. simple problems on ratio and
12	00	12	percentage, proportion and partnership	percentage 3. Concept of proportion 4. Simple problems on proportion 5. Applications to division into proportional part and partnership
Month: S	eptember		Module/Unit: III	Sub-units planned
Lectures	the second secon		Matrices and Determinants	Definition of a matrix, types of matrices Algebra of matrices
15	00	15		 3. Adjoint of a matrix, Finding inverse of a matrix by using adjoint matrix. 4. Properties of determinants (without proofs) 5. Solutions of system of linear equations by Crammer's Rule.
Month: 0	ctober		Module/Unit: IV	Sub-units planned
Lectures	Practicals	Total	Linear programming	Formation of L.P.P. Graphical method of solution
15	00	15	problems (L.P.P.) and Transportation problems -	Problems relating to two variables including the case of mixed constraints, cases having no solution, multiple solutions, unbounded solutions. Definition of Transportation model Formulation and solution of transportation model, NorthWest Corner rule

Name and Signature of Teacher

[Mr. S. P. Patankar]

ESTD. JUNE III 1964

(Mr. S. P. Patankar)

HEAD

Department of mathematics Academic Year: 2019-2020 Annual Teaching Plan

Name of the teacher: Mr. S. P. Patankar

Programme - B. Com I

Semester - II

Subject: Mathematics

Course Title: Business Mathematics Paper II

Month: N	ovember		Module/Unit: I	Sub-units planned
Lectures 17	Practicals 00	Total	Functions of real variable, Limit of function and continuity	 Linear, Quadratic, exponential (of type y = a^x) Inverse functions and their graphs. illustrative examples. Limits of a functions-Theorems on limit (without proof) simple examples. Continuity of a functions at a point, discontinuity of a function Algebra of continuous functions, continuity at domain of a function, continuity of some standard function and related examples.
Month: De	ecember		Module/Unit: II	Sub-units planned
Lectures			Differentiation	Definition, derivative using first principle
16	00	16		 Method of differentiation of sum, difference, product and quotient of two functions Derivative of composite, inverse, exponential, logarithmic, parametric and implicit functions Second order derivative
Month: Ja:	nuary		Module/Unit: III	Sub-units planned
Lectures	Practicals	Total	Applications of differentiation	Maxima and minima Case of one variable involving
15	00	15		second order derivative 3. Average cost, average revenue functions 4. Marginal cost, marginal revenue 5. Elasticity of demand
Month : February			Module/Unit: IV	Sub-units planned
Lectures	Practicals	Total	Integrations and its applications	Integration-An Anti-derivative process
12	00	12		 Method of integration by substitution and by parts. Definite integral And their properties.

Name and Signature of Teacher

[Mr. S. P. Patankar]

ESTD. GO JUNE 1964

(Mr. S. P. Patankar) HEAD

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. S. T. Sutar

Programme - B. Sc. I (Div - A and B)

Semester - I

Subject: Mathematics

Course Title: Differential Calculus - II

Month: July			Module/Unit: I	Sub-units planned
Lectures	Practicals	Total	Mean Value Theorem and Indeterminate Forms	Rolle's Theorem Lagrange's Mean Value Theorem
12	04	16		3.Cauchy Mean value theorem
Month: A	ugust		Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Mean Value Theorem and Indeterminate Forms	Taylor's Theorem Maclaurin's theorem
12	05	17		3.Maxima and minima functions 4. Indeterminate forms 5. L' Hospital Rule
Month: S	eptember		Module/Unit: III	Sub-units planned
Lectures	Practicals	Total	Limit and Continuity of real valued functions	Definition of limit of function Continuous function and their properties Classification of discontinuities
12	06	18		
Month : C	October		Module/Unit: IV	Sub-units planned
Lectures	Practicals	Total	Limit and Continuity of real valued functions	1.Differentiability at a point, Left hand derivative, Right hand derivative
12	05	17		2.Differentiability in the interval [a, b] 3.Theorems on continuity

Name and Signature of Teacher

(Mr. S. T. Sutar)

ESTD. FOR JUNE 1964

(Prof. S.P. Patankar)

HEAD

Department of mathematics Academic Year: 2019-20 Annual Teaching Plan

Name of the teacher: Prof. S.T. Sutar

Programme - B.Sc. II

Semester - III

Subject: Mathematics

Course Title: Integral Calculus

Month July			Module/Unit: I	Sub-units planned
Lectures 10	Practicals 06	Total	Beta and Gamma functions	 Definition of Beta function Basic Properties of Beta function and Examples on Beta functions Definition of Gamma function Basic Properties of Gamma function and Examples on Gamma functions Relation between Beta and Gamma function
Month A	ugust		Module/Unit: II	Sub-units planned
Lectures			Multiple integrals	Integration Method of Evaluation Related Double examples Cartesian and
12	07	19.		Polar Form 3. Change of order of integration 4. Change of Variable, Examples on Triple Integral.
	eptember		Module/Unit: III	Sub-units planned
Lectures	Lectures	Lectures	centre of gravity and moment of inertia	Introduction of Centre of Gravity and Moment of Inertia
08	06	14		 Centre of Gravity Moment of Inertia Mass and Lamina,
Month : C	October		Module/Unit: IV	Sub-units planned
Lectures	Lectures	Lectures	Fourier Series	Periodic functions, Even and Odd functions
11	08	19		 Fourier Series Expansion of elementary functions Over ranges [0,2] Expansions Over range[-c, c], [0,2c] Fourier Sine and Cosine series expansion Half Range series expansion

Name and Signature of Teacher

ESTD. FR. JUNE PR. 1984

(S.P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: S. T. Sutar

Programme - B.Sc. III Subject: Mathematics

Semester - V

Course Title: Real Analysis

Month: J	Month: July		Module/Unit: I	Sub-units planned
Lectures	Practicals	Total	Sets and Functions	Definition of Cartesian product, Function, Extension and restriction of functions
5		5		Onto function and its important theorems Real valued functions Equivalence and Countability
Month: J	July – Augus	it	Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Sequence and Series	Definition of Sequence and subsequence Convergence, Divergence, Bounded sequences
21		21		 3. Monotone Sequences with important theorems 4. Limit superior and Limit Inferior Cauchy sequence and It's Summability 5. Introduction and definition of Series of Real numbers 6. Series whose terms form a non-increasing sequence and summation by parts 7. Summability of series and Lass of ℓ²
Month: S	September		Module/Unit: III	Sub-units planned
Lectures				Riemann integrability & integrals of bounded functions over bounded intervals
11		11		 Darboux Theorem and Lemmas, Equivalent definition of integrability and integrals. Conditions for integrability, Particular classes of bounded integrable functions Properties of integrable functions and Inequalities for an integral Function defined by a definite integral and Theorems of Integral Calculus
Month : October		Module/Unit: IV	Sub-units planned	
Lectures	Practicals	Total	Improper Integration	1. Introduction and definition of Improper Integral with Test for convergence at the left end: positive
10		10		integrand. 2. General test for convergence of the improper integral 3. Convergence at ω , the integrand being not necessarily positive. 4. Tests for conditional convergence

Name and Signature of Teacher

(Ms. S. T. Sutar)

ESTD. JUNE 1964

(Mr. S. P. Patankar) **HEAD**

Department of mathematics Academic Year: 2019-20 **Annual Teaching Plan**

Name of Teacher: S. T Sutar

Program: B.Sc. III

Semester: V

Subject: Mathematics

Coarse Title: Computational Mathematics Laboratory- IV

Month: July			Module/Unit I	Title: Computational Mathematics Laboratory- IV
Lectures	Practical	Total	Linear Programming	Subunits Planed
00	02	02	- Incar Frogramming	
Month: A	ugust	100	Module/II 's II	2) Simplex Method: Minimization Cose
Lectures	Practical	Total	Module/Unit II	Subulits Planed
00	02	02	Linear Programming	- Mase Hicking
Month: September		Madula/III to year	2) Big-M-Method	
Lectures	Practical	Total	Module/Unit III	Subunits Planed
00	02	02	Transportation Problems	1) North- West Corner Method
Months Out 1		Module/Unit IV	2) Least Cost Method	
Lectures	Practical	Total		Subunits Planed
00	02	02	Transportation Problems	1) Vogel's Approximation Method
	4		- Toloms	2) Optimization of T.P. by Modi Method

Vivekanand College, Kolhapur (Autonomous)

Department of mathematics Academic Year: 2019-20 **Annual Teaching Plan**

Name of Teacher: Ms. S. T. Sutar

Program: B.Sc. III

Semester: VI

Subject: Mathematics

Coarse Title: Computational Mathematics Laboratory- IV

		Module/Unit I	S. L. Computational Mathematics Laboratory-
Practical	Total		Subunits Planed
02	02	Problems	Hungarian Method Maximization Case in Assignment Problem
ecember		Module/Lie tr	
	Total		Subunits Planed
02	02	Problems	Unbalanced Assignment Problems Traveling Salesman Problem
nuary		Module/Unit III	
Practical	Total	Theomas CO	Subunits Planed
02	02	Theory of Games	Games with saddle point Games without saddle point : (Algebraic method)
ruarv		Mad 1 // 1	
Practical	Total	Wiodule/Unit IV	Subunits Planed
02 02 1 Games was a) Arithm	(1) Games without saddle point:		
	Practical 02 ecember Practical 02 nuary Practical 02 oruary Practical	Practical Total 02 ecember Practical Total 02 nuary Practical Total 02 ouary Ouary Practical Total 02 oruary Ouary Practical Total 02 ouary Practical Total	Practical Total Assignment Problems Compared Module/Unit II Practical Total Assignment Problems Module/Unit II Practical Total Assignment Problems Module/Unit III Practical Total Theory of Games Proportical Total Theory of Games Practical Total Theory of Games Practical Total Theory of Games

Name and Signature of Teacher

(Mr. S. T. Sutar)



(S. P. Patankar) Department of Mathematics Vivekanand College, Kolhapu:

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. S. T. Sutar

Programme - B. Sc. I (Div- A and B)

Semester - II

Subject: Mathematics

Course Title: Differential Equations - II

Month: N	ovember		Module/Unit: I	Sub-units planned
Lectures 12	Practicals 06	Total	Second Order Linear Differential Equations:	1) Complete Solution when one Integral is known: Method and Examples. 2) Transformation of the Equation by changing the dependent variable(Removal of First order Derivative). 3) Transformation of the Equation by changing the independent variable. 4) Method of Variation of Parameters.
Month: D	ecember		Module/Unit: I	Sub-units planned
Lectures	Practicals	Total	Ordinary Simultaneous Differential Equations and	1)Methods of Solving simultaneous Linear Differential Equations.
12	05	17	Total Differential Equations	 2) Total (or Pfaffian) differential equations Pdx + Qd + Rdz-0 3) Necessary condition for Integrability of total differential equation 4)The condition for exactness. 5)Methods of solving total differential equations: 6) Geometrical Interpretation of Ordinary Simultaneous Differential Equations
Month : Ja	nuary		Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Partial Differential Equations	Order and Degree of Partial Differential Equations Linear and non-linear Partial Differential Equations
12	06	18		 3) Classification of first order Partial Differential Equations 4) Formation of Partial Differential Equations by the elimination of arbitrary constants 5) Formation of Partial Differential Equations by the elimination of arbitrary functions
Month : February			Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	First order Partial Differential Equations	1)Lagrange's equations Pp + Qq=R 2) Lagrange's methods of solving Pp+Qq=R
12	07	19		3) First Order Non-linear Partial Differential Equations 4) Complete integral, particular integral, singular integral and General integral 5) Charpit's method

Name and Signature of Teacher

(Mr. S. T. Sutar)



(Prof. S.P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Prof. S. T. Sutar

Programme - B.Sc. II

Semester - IV

Subject: Mathematics

Course Title: Integral transformation

Month: 1	November		Module/Unit: I	Sub-units planned
Lectures 12	Practicals 08	Total 20	Laplace Transformation	1)Function of an exponential order 2)General Integral transform and its Kernel, Laplace transform 3)Linearity property, Laplace transform of some standard functions 4)Properties of Laplace Transform
Month: 1	December		Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Inverse Laplace Transformation	Definition ,basic properties and examples of Inverse Laplace
12	06	18		Transform 2)Convolution theorem 3)Application to solve ordinary, partial differential equations 4)Initial value problems.
Month: Ja	anuary		Module/Unit: III	Sub-units planned
Lectures	Practicals	Total	FourierTransformation	Fourier Integral theorem Fourier Transform Fourier Sine
09	06	15		and Cosine Transform 3. Inverse Fourier Transform
Month : F	ebruary		Module/Unit: IV	Sub-units planned
Lectures	Practicals	Total	Finite Fourier Transform, Fourier Integral	Introductory definitions of the Hankel Transform
10	07	17		Connection with the Fourier transform Applications, the Finite Hankel Transform

Name and Signature of Teacher

ESTD. JUNE IN 1964

(S.P. Patankar)
HEAD

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. S. T. Sutar

Programme - B.Sc. III

Semester - VI

Subject: Mathematics

Course Title: Metric Space

Month:	Month: November		Module/Unit: I	Sub-units planned
Lectures	Practicals	Total 09	Limits And Metric Spaces	 Definition and examples of metric spaces Limits in metric spaces Definition: Sequences and their convergence in metric space, Cauchy sequence in metric space it's Theorems and Examples
Month:	December	Name of the last	Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Continuous Functions on Metric	Functions continuous at a point on the real line and Definition of Continuity of a function
15		15	Space	 Definition of The open ball of radius r about a. Functions continuous on a metric space: Definition of The open ball of radius r about a in a metric space, Definition of Continuity of function defined on a metric space Open Sets with It's Important Theorems Closed Sets with it's Important Theorem Definition of Homeomorphism, dense subset of a metric space.
Month: J	anuary		Module/Unit: III	Sub-units planned
Lectures	Practicals	Total	Connectedness, Completeness and	More Information of Open sets, Connected Sets and It's Definition and important
17		17	Compactness	Theorems 2. Definition of Bounded subset of metric space, totally bounded sets. And it's theorem 3. Complete metric space and it's theorems 4. Compact metric spaces and its' Important Theorem
Month: F	ebruary		Module/Unit: IV	Sub-units planned
ectures	Practicals	Total	Some Properties of Continuous	Continuous functions on compact metric space and it's Theorem
7		07	functions on Metric	2. Definition of Bounded function3. Uniform Continuity

Name and Signature of Teacher

(Mr. S. T. Sutar)

ESTD. S. JUNE IN 1984

(S.P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapu:

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. S. T. Sutar

Programme - M.Sc.-II

Semester-III

Subject: Mathematics

Course Title: Number Theory

Month Au	igust		Module/Unit: I	Sub-units planned
Lectures 16	Practicals	Total	Divisibility	 Review of Divisibility: The division algorithm, G.C.D., Euclidean algorithm, Diophantine equation ax + by = c, Primes and their distribution Fundamental theorem of arithmetic
Month Se	ptember		Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Congruence	 Congruences: Properties of congruences,
17		17		 Linear congruences, Chinese Remainder Theorem Special divisibility tests, Fermat's theorem, Wilsons's theorem and applications.
Month: C	October		Module/Unit: III	Sub-units planned
Lectures 19	Practicals	Total	Number Theoretic function	 Number Theoretic Functions: Euler's phi function, Euler's theorem Greatest integer function, the functions τ and σ, Mobius
				function and Mobius inversion formula, Properties of these functions
Month: N			Module/Unit: IV	Sub-units planned
Lectures	Practicals	Total	Primitive roots	 Primitive roots: The order of an integer modulo n, Primitive roots
16		16		of primes, composite numbers having primitive roots, 2. The theory of indices, The quadratic reciprocity law: Eulerian criteria 3. The Legendre symbol and its properties, quadratic reciprocity with composite moduli.

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Name And Sign of Faculty

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(S. P. Patankar) HEAD

Department of mathematics Academic Year: 2019-20 Annual Teaching Plan

Name of the teacher: Mr. S. T. Sutar

Programme - M.Sc. II

Semester - IV

Subject: Mathematics Course Title: Fractional Differential Calculus

Month Jar	Month January		Module/Unit: I	Sub-units planned
Lectures 17	Practicals	Total	Fractional derivatives	 Gamma Function, Mittag- Leffler Function, Wright Function Fractional Derivative and Integrals Riemann-Liouville (RL) fractional derivatives-
Month Fe	bruary		Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Link of RL derivative to Grünwald-Letnikov	Composition of RL derivative with integer
16		16	approach	order derivatives and fractional derivatives 2. Properties of fractional Derivatives 3. Left and right fractional derivatives 4. Link of RL derivative to Grünwald-Letnikov approach
Month : M	farch		Module/Unit: III	Sub-units planned
Lectures	Practicals	Total	Laplace transform	Laplace transforms of fractional derivatives
15	_	15		 Fourier transforms of fractional integrals and derivatives. Mellin transforms of fractional derivatives.
Month : April			Module/Unit: IV	Sub-units planned
Lectures	Practicals	Total	Existence and uniqueness theorem	Linear fractional differential equations (FDE)
15	-	15		 Fractional differential equation of a general form, Existence and uniqueness theorem as a method of solution. Methods of solving FDE's

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Name And Sign of Faculty



(Prof. S. P. Patankar)

HEAD

Department of mathematics Academic Year: 2019-20 Annual Teaching Plan

Name of Teacher: Ms. N. R Patil

Program: B.Sc. II

Semester: III

Subject: Mathematics

Coarse Title: Core Course Practical

In Mathematics (CCPM-II)

Month: Ju	Month: July		Module/Unit I	Subunits Planed
Lectures 00	Practical 02	Total 02		Jacobian Radius Of curvature(Cartesian Form)
Month: A	uguat		Module/Unit II	Subunits Planed
Lectures	Practical	Total		1) Radius Of curvature(Polar Form)
00	02	02		2) Radius Of curvature(Parametric Form)
Month: Se	eptember		Module/Unit III	Subunits Planed
Lectures	Practical	Total		1) Asymptotes
00	02	02		2) Singular Points
Month: O	ctober		Module/Unit IV	Subunits Planed
Lectures	Practical	Total		1) Beta and Gamma Function
00	02	02		2) Double Integration

Name and Signature of Teacher

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(S. P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of Teacher: Ms. N. R Patil

Program: B.Sc. II

Semester: IV

Subject: Mathematics

Coarse Title: Core Course Practical

In Mathematics (CCPM-II)

Month: November		Module/Unit I	Subunits Planed
Practical	Total		1) Laplace Transform
02	02		2) Fourier Transform
ecember		Module/Unit II	Subunits Planed
Practical	Total		1) Hankel Transform
02	02		2) Fourier Series
nuary		Module/Unit III	Subunits Planed
Practical	Total		1) Set And Relations
02	02		2) Recurrences Relation
bruary		Module/Unit IV	Subunits Planed
Practical	Total		1) Boolean Algebra
02	02		2) Graph Theory
	Practical 02 ecember Practical 02 nuary Practical 02 ebruary Practical	Practical Total 02 02 ecember Practical Total 02 02 nuary Practical Total 02 02 ecember O2 02 nuary Practical Total 02 02 ebruary Practical Total	Practical Total 02 02 ecember

Name and Signature of Teacher

(S. P. Patankar) HEAD

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Ms. Nikita R. Patil

Programme - B.Sc. III

Semester - V

Subject: Mathematics

Course Title: Numerical Method - I

Month October			Module/Unit: IV	Sub-units planned
Lectures Practicals Total	Eigenvalues and eigenvectors	Eigenvalues and eigenvectors of a real matrix.		
14		14	eigenvectors	

Name and Signature of Teacher

(Ms. Nikita R. Patil)

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(Mr. S. P. Patankar)

Department of mathematics Academic Year: 2019-20 Annual Teaching Plan

Name of Teacher: Nikita Patil

Program: B.Sc. III

Semester: V

Subject: Mathematics

Coarse Title: Computational Mathematics Laboratory- VI

Month: Ju	ıly		Module/Unit I	Subunits Planed
Lectures 00	Practical 02	Total 02		 C++ -Introduction: History, Identifiers, Keywords, constants, variables, C++ operations. Data typesin C++: Integer, float, character. Input/Output statements, Header files in C++, iostreanm.h, iomanip.h,math.h.
Month: A	ugust		Module/Unit II	Subunits Planed
Lectures	Practical	Total		1) Expressions in C++ : (i) constant expression,
00	02	02		 (ii) integer expression, (iii) float expression, (iv) relational expression, (v) logical expression, (vi) Bitwise expression. Declarations in C++. 2) Program Structure of C++ . Simple program to "WEL COME TO C++".
Month: Se	eptember		Module/Unit III	Subunits Planed
Lectures	Practical	Total		1) Control Statements: (a) if, if – else, nested if.
00	02	02		 (b) for loop, while loop, do-while loop. 2) (c) break, continue, goto, switch statements. *Euclid's algorithm to find gcd and then to find lcm of two numbers a, b * To list 1!, 2!, 3!,, n! . * To print prime numbers from 2 to n.
Month: O	Month: October		Module/Unit IV	Subunits Planed
Lectures	Practical	Total		Arrays : (a) Sorting of an array. (b) Linear
00	01	01		search. (c) Binary search. (d) Reversing string.

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Department of mathematics Academic Year: 2019-20 Annual Teaching Plan

Name of Teacher: Nikita Patil

Program: B.Sc. II

Semester: VI

Subject: Mathematics

Coarse Title: Computational Mathematics Laboratory- VI

Month: N	ovember		Module/Unit I	Subunits Planed
Lectures 00	Practical 02	Total 02		 Functions: User defined functions of four types with illustrative programs each Numerical Methods to find roots of a given function: (a) Bisection function. (b) Newton – Raphson Method.
Month: D	ecember		Module/Unit II	Subunits Planed
Lectures 00	Practical 01	Total 01		1) Interpolation: (a) Lagrange's interpolation formula. (b) Newton Gregory forward interpolation formula. (c) Newton Gregory backward interpolation formula.
Month: Ja	nuary		Module/Unit III	Subunits Planed
Lectures 00	Practical 01	Total 01		1) Numerical Methods for solution of a system of Linear Equations:(Unique solution case only) (a) Gauss – Elimination Method. (b) Gauss – Jorden Method.
Month: Fe	bruary		Module/Unit IV	Subunits Planed
Lectures 00	Practical 01	Total 01		1) Computation with Scilab

Name and Signature of Teacher

(Nikita Patil)

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(S. P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Ms. Nikita Patil

Programme - B.Sc. III

Semester - VI

Subject: Mathematics

Course Title: Numerical Method - II

Month : February		Module/Unit: II	Sub-units planned	
Lectures	Practicals	Total	Ordinary 1. Euler's Method, Examples,	 Euler's Method, Examples, Second order Runge-Kutta method (formula
10		10	Equations	only). Examples 3. Fourth order Runge-Kutta method(formula only), examples

Name and Signature of Teacher

(Nikita Patil)



(S.P. Patankar)
HEAD

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Ms. N. R. Patil

Programme: M. Sc. I

Semester: I

Subject: Mathematics Course Title: Ordinary Differential Equations

Month: A	ugust		Module/Unit:	Sub-units planned
Lectures 18	Practical 00	Total	1. Second order homogeneous Equations	Second order homogeneous Equations Linear dependence & Dependence Non-homogeneous equations of order two Homogeneous equations of order n
Month: S	eptember		Module/Unit:	Sub-units planned
Lectures			2. The non- homogeneous	The non-homogeneous equation of n th order
15	00	15	equation of n th order	2. Linear Equations with variable Coefficients 3. Wronskian and linear dependence 4. Reduction of order of homogeneous equation
Month: O	ctober		Module/Unit:	Sub-units planned
Lectures	Practical	Total	3. The legendre	1. Sturm Liouville theory
17	00	17	equations	 2. Homogeneous equations with analytic coefficients 3. The legendre equations 4. Linear Equations with regular singular points 5. The Euler equations
Month: November		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	4. The Bessel	1. The Bessel equation
16	00	16	equation	Regular singular points at infinity Existence and uniqueness of solutions: The method of successive approximations The Lipschitz condition

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(S. P. Patankar)

HEAD

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Ms. N. R. Patil

Programme: M. Sc. I Subject: Mathematics Semester: II

Course Title: Partial Differential Equation

Month: January		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	1. Partial	1. First order Partial Differential
18	00	18	Differential Equations	Equations 2. Linear equations of first order. 3. Pfaffian differential equations 4. Compatible systems of first order partial differential equations. 5. Compatible systems of first order partial differential equations.
Month: F	ebruary		Module/Unit:	Sub-units planned
Lectures	Practical	Total	2. Cauchy	1. Charpits method,
15	00	15	Problem	2. Jacobi method of solving partial differential equations,3. Cauchy Problem,4. Method of characteristics to find the integral surface of a quasi linear
Month: N	larch		Module/Unit:	Sub-units planned
Lectures	Practical	Total	3. Method of	Second order Partial Differential
17	00	17	separation of variables	Equations. 2. Classification of second order partial differential equation. 3. Vibration of an infinite string 4. Method of separation of variables Uniqueness of solution of wave equation
Month: April		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	4. Laplace	1. Laplace equation, Solution of
16	00	16	equation	Laplace equation, 2. Dirichlets problems and Neumann problems. 3. maximum and minimum principles 4. Stability theorem.

Name And Sign of Faculty

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(S. P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. N. R. Patil

Programme: M. Sc. II Subject: Mathematics Semester: III

Course Title: Lattice Theory

Month: Au	igust		Module/Unit:	Sub-units planned
Lectures	Practical	Total	Basic	1. Posets, Definition and examples of posets. 2. Two
18	00	18	concepts	definitions of lattices and their equivalence, examples of lattices. 3. Description of Lattices, some algebraic concepts. 4. Duality principle, Specialelements. 5. Homomorphism, Isomorphism and isotone maps.
Month: September		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	Special types of Lattices	1. Distributive lattices – Properties and
15	00	15	of Lattices	characterizations. 2. Modular lattices – Properties and characterizations. 3. Congruence relations. 4. Boolean algebras – Properties and characterizations.
Month: October		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	Ideal theory	
17	00	17		2. Lattice of all ideals I(L).
				3. Properties and characterizations of I(L).
				4Stone's theorem and its consequences.
Month: No	ovember	and the	Module/Unit:	Sub-units planned
Lectures	Practical	Total	Stone algebra	1. Pseudo complemented lattices. 2. S(L) and D(L) -
16	00	16	A SHOT	special subsets of pseudo complemented lattices. 3. Distributive pseudo complemented lattice. 4. Stone lattices – properties and characterizations

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Name And Sign of Faculty

ESTD. IST JUNE 1984

(S. P. Patankar) HEAD

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Ms. N. R. Patil

Programme: M. Sc. II Subject: Mathematics Semester: IV

Course Title: Algebraic Number Theory

Month: Ja	Month: January		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	1. Revision of basic	, Fundamental concepts and results, Free modules	
18	00	18	module theory	and matrices, Direct sums of modules, Finitely generated modules over a P.I.D., Equivalence o matrices with entries in a P.I.D., Structure theorem for finitely generated modules over a P.I.D., Applications to abelian groups, Algebra Numbers, Quadratic and cyclotomic fields.	
Month: February		Module/Unit:	Sub-units planned		
Lectures	Practical	Total	2. , Euclidean	Factorization into irreducible, Euclidean	
15	00	15	quadratic fields	quadratic fields	
Month: March		Module/Unit:	Sub-units planned		
Lectures	Practical	Total	3.Lattices	Prime factorization of ideals, Lattices,	
17	00	17		Minkowski's theorem.	
Month: A	pril		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	4. Computational	Geometric Representation of algebraic numbers,	
16	00	16	methods	class groups and class numbers, computational methods.	

Name And Sign of Faculty



(S. P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of mathematics Academic Year: 2019-2020

Annual Teaching Plan

Name of the teacher: A. A. Patil

Programme - B.Sc. II

Semester - III

Subject: Mathematics

Course Title: Differential calculus

Month: J	Month : July		Module/Unit: I	Sub-units planned
Lectures	Practicals	Total	Jacobian	 Definition of Jacobian of transformation Examples and Various properties of Jacobian
10	08	18		3. Examples related on the properties4. Application of Jacobian.
Month: A	ugust		Module/Unit: II	Sub-units planned
Lectures	*		Curvature	 Definitions of Curve, Curvature of Curve, Definition of Radius of Curvature and Curves with constant
11	08	19		 curvature Formulas for Radius of curvature for curves in Cartesian Formulas for Radius of curvature for Parametric and Polar forms Related examples of curvature
Month : September		Module/Unit: III	Sub-units planned	
Lectures	Practicals	Total	Asymptotes and singular points	Definition and Working rule to determine asymptote by inspection
12	07	19		 Intersection of curve with Asymptote asymptote by expansion Position of curve with respect to an Asymptote. Definitions of Cups, Nodes and Conjugate Points Definitions Tangents at Origin, Types of Cups Radii of curvature at multiple points
Month : C	October		Module/Unit: IV	Sub-units planned
Lectures	Practicals	Total	Vector differentiation	Definition of Vector differential operator Del. Divergence, Gradient and curl of vector
11	07	18		 Properties of Divergence, Curl and Gradient of Vector directional derivative of a vector and Related examples Solenoidal, irrotational and conservative fields Scalar potential. Vector identities

Name and Signature of Teacher

(A. A. Patil)



(S.P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: A. A. Patil

Programme - B.Sc. II

Semester - IV

Subject: Mathematics

Course Title: Discrete Mathematics

Month: N	ovember		Module/Unit: I	Sub-units planned
Lectures 10	Practicals 06	Total	Sets and relations	 Algebra of Sets, Duality, finite sets and Counting Principle, classes of Sets Power set and partition, Mathematical Induction, product of sets Relations, Pictorial representation of relations, composition of relations, Types of relations, Closure properties equivalence relations and partial order relations.
Month: D	ecember		Module/Unit: II	Sub-units planned
Lectures Practicals Total 12 07 19			Generating Functions and Recurrence relayion	 Ordinary and exponential generating functions and Basic properties of generating functions enumerators, Applications to partitions, Ferrer's graph
				 3. Applications to solving recurrence relations 4. linear recurrence relation with constant coefficients 5. homogeneous solutions and total solutions, particular solutions and total solutions.
Month: Ja	inuary		Module/Unit: III	Sub-units planned
Lectures	Boolean algebra	Total	Boolean algebra	Duality, Basic Theorems, Boolean algebra as Lattices Representation Theorem
10	08	18		 Sum-of-Products Form for Sets,Sum-of-Products Form for Boolean Algebras, Minimal Boolean Expressions, Prime Implicants Logic Gates and Circuits, Truth Tables, SC Boolean Functions, Karnaugh Maps
Month : February			Module/Unit: IV	
Lectures	Practicals	Total	Graph theory	Homeomorphism Graphs, Paths, Connectivity
11	08	19		 Traversable and Eulerian Graphs, Bridges of Konigsberg Labelled and Weighted Graphs Complete, Regular graph Dipartite Graphs, Tree Graphs Planar Graphs, Graph Colorings

Name and Signature of Teacher

ESTD. F. JUNE 1964

(S.P. Patankar)
HEAD
Department of Mathematics
Vivekanand College, Kolhany

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. A. A. Patil

Programme - B.Sc. III

Semester - V

Subject: Mathematics

Course Title: Modern algebra

Month Ju	ly		Module/Unit: I	Sub-units planned	
Lectures 15	Practicals	Total	Groups	 Definition and Binary operations, Definitions and properties, Groups elementary properties. Finite groups and composition tables, Subgroups and its properties, Definition of Centre of group G, Normalizer of an element in G Generators and cyclic groups.Permutations Functions and permutations cycles and cyclic notation, even, odd, permutations, Symmetric group, Alternating groups. Cyclic groups- elementary properties, The classification of cyclic groups, Isomorphisms -Definition and elementary properties Fermat's Theorem, Eulers theorem 	
Month August		Module/Unit: II	Sub-units planned		
Lectures	Practicals	Total	Normal Subgroups,	1. Cayley's theorem, Groups of cosets, Applications, Normal subgroups Factor groups	
12		12	Homeomorphism, permutation group	 Definition of Kernel and it's theorem Criteria for existing of a coset group Inner automorphism and Dormal subgroups Simple groups The fundamental theorems of isomorphisms, applications Theorems on Normal groups. 	
Month: S	eptember		Module/Unit: III	Sub-units planned	
Lectures 12	Practicals	Total 12	Rings	 Definition and examples of a Ring, Commutative ring, Ring with unity. Zero divisor, Integral Domain, Division Ring, Field Relation between Ring and Integral Domain Boolean Ring and Definition and examples of Subring Characteristic of a ring: Definition and examples, Definition and examples of Nilpotent, Idempotent, product of rings. Definition and examples of Ideal, Definition of Sum of two ideals. Examples, Definition of Simple Ring. 	
Month : C	ctober		Module/Unit: IV	Sub-units planned	
Lectures 12	Practicals	Total	Homeomorphism and Imbedding of ring	 Definition and examples of Quotient Rings, Homomorphism, Kernel of homomorphism. Fundamental Theorem of ring homomorphism, First theorem, 	
12		12		Second Theorem 3. Definition of Imbedding ring 4. Definition and examples of Maximal Ideal and Prime ideal.	

(Mr. A.A. Pati) Name and Signature of Teacher

(Mr. A. A. Patil)



(Mr. S.P.Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapus

Department of mathematics Academic Year: 2019-20 Annual Teaching Plan

Name of Teacher: A. A. Patil

Program: B.Sc. III

Semester: V

Subject: Mathematics

Coarse Title: Computational Mathematics Laboratory- V

Practical		Module/Unit I	Subunits Planed
Tractical	Total		1) Bisection Method
02	02		2) Secant Method
Month: August		Module/Unit II	Subunits Planed
Practical	Total		1) Newton's method
02	02		2) Gauss elimination method
tember		Module/Unit III	Subunits Planed
Practical	Total		1) Gauss-Jordan method
02	02		2) Jacobi iteration scheme
Month: October		Module/Unit IV	Subunits Planed
Practical	Total		1) Gauss-Seidel method
02	02		2) Power method
	Practical D2 Practical Practical D2 Practical D2 Dber Practical	Practical Total 02 02 Dember Practical Total 02 02 Deber Practical Total 02 Total 03 Total	Practical Total O2 02 Dember Module/Unit II Practical Total O2 02 Deber Module/Unit IV Practical Total O2 Total O2 O2 Description Module/Unit IV

Vivekanand College, Kolhapur (Autonomous)

Department of mathematics Academic Year: 2019-20 Annual Teaching Plan

Name of Teacher: A. A. Patil

Program: B.Sc. III

Semester: VI

Subject: Mathematics

Coarse Title: Computational Mathematics Laboratory- V

Month: N	ovember		Module/Unit I	Subunits Planed
Lectures	Practical	Total		1) Newton's forward interpolation
00	02	02		Newton's backward interpolation
Month: December		Module/Unit II	Subunits Planed	
Lectures	Practical	Total		1) Lagrangian interpolation
00	02	02		2) Divided difference interpolation
Month: Ja	nuary		Module/Unit III	Subunits Planed
Lectures	Practical	Total		1) Trapezoidal rule
00	02	02		2) Simpson's 1/3rd rule
Month: Fo	Month Fahruary		Madula/Halt IV	Cubunite Planes
Lectures	Practical	Total		1) Second order Runge-Kutta method
00	02	02		2) Fourth order Runge-Kutta method

Name and Signature of Teacher

(A. A. Patil)



(S. P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. Avinash Patil

Programme - B.Sc. III

Semester - VI

Subject: Mathematics

Course Title: Linear algebra

Month No	vember		Module/Unit: I	Sub-units planned
Lectures 20	Practicals	Total 20	Vector Spaces	 Definition of vector space and simple examples, Definition of subspace and examples with it's Theorems Definition of sum of subspaces, direct sum, and quotient space. Examples. Homomorphism of vector space (Linear transformations)and examples with it' Theorems Definition of Kernel and Range of homomorphism Examples and Theorems Definition of Linear Span. Examples and it's Theorems
Manda D	Month : December		Module/Unit; II	5. Definition of F.D.V.S. and examples and Theorems
Lectures	Practicals	Total	Linear	Sub-units planned 1. Definition of L.T., Rank, Nullity and Examples and Theorems 2. Definition of Sum and Product of L.T. Linear operator, Linear functional, examples and Theorems 3. Definition of Invertible L.T. and examples and Theorems 4. Definition of Matrix of L.T. and examples and Theorem
12		12		
Month : Ja	nuary	The state of	Module/Unit: III	Sub-units planned
Lectures			Inner product space	Definition of Inner product space, norm of a vector and examples and Theorems
12		12		Definition of Orthogonal vectors and orthonormal sets Gram-Schmidt orthogonalisation process
Month : February		Module/Unit: IV	Sub-units planned	
Lectures	Eigenvectors		Eigenvalues And	Definition of Eigen values, Eigen vectors, Eigen space of order n and it's Examples
12				 Theorems and Definition of Characteristic Polynomials. Characteristic polynomial of a Linear operator ar remarks on it. Examples on eigen values and eigen vectors

Name and Signature of Teacher

(Mr. Avinash Patil)

ESTD. FINE JUNE 1964

(S.P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. G. B. Kolhe

Programme: M. Sc. I Subject: Mathematics

Semester: I

Course Title: Advanced Calculus

Month: October		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	Sequences	Sequences and series of functions - Pointwise convergence of the series of the
17	00	17	and series of functions	sequences of functions, uniform convergence, Uniform convergence and continuity, Cauchy condition for uniform convergence, 2. Uniform convergence and Riemann integration, uniform convergence and double sequences, mean convergence. Multiplication of series, 3. Power series, multiplication of power series, substitution theorem, reciprocal of power series, Real power series, 4. The Taylor series generated by function, Bernstein's theorem, Binomial series,

Month: November		Module/Unit:	Sub-units planned	
Month: N Lectures 16	T	Total 16		Sub-units planned 1.Multivariable differential Calculus: The Directional derivatives, directional derivatives and total derivative 2.Total derivatives expressed in terms of partial derivatives, The matrix of linear function, Jacobin matrix, Chain rule, mean value theorem for differentiable functions, 3. A sufficient condition for differentiability, Taylor's formula for functions from R. to R. The inverse function theorem Implicit Functions The implicit function theorem
				Implicit Functions The implicit function theorem (Statement only) and their applications. 4. Extrema of real valued functions of one variable, Extrema of real valued functions of several

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Department of Mathematics

Vivekanand College, Kolhapur

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. G. B. Kolhe

Programme: M. Sc. I

Semester: I Subject: Mathematics

Course Title: Algebra

Month: August			Module/Unit:	Sub-units planned
Lectures	Practical	Total	Simple Groups 1)Permutation group, Gro Dihedral group, Commuta Simple groups, simplicity 2) Normal and subnormal Jordan-Holder theorem 3) Solvable groups, Nilpoi isomorphism theorems (Solvable groups) 4) Zassenhaus Lemma, Solvable	1)Permutation group, Group of symmetry,
18	00	18		Dihedral group, Commutator subgroups Simple groups, simplicity of An, 2) Normal and subnormal series, Jordan-Holder theorem 3) Solvable groups, Nilpotent group, isomorphism theorems (Statement only) 4) Zassenhaus Lemma, Schreier refinement theorem.
Month: S	eptember		Module/Unit:	Sub-units planned
Lectures	Practical	Total	Group Action 1) Group action on a set, isometry Burnside theorem 2) Direct product and semidirect progroups, Syllow theorems, p-subgroups, Syllow of order and pq,	1) Group action on a set, isometry subgroups,
15	00	15		2) Direct product and semidirect product of groups, Syllow theorems, p-subgroups,
Month: October			Module/Unit:	Sub-units planned
Lectures 17	Practical 00	Total 17	Rings of Polynomial	Ring of Polynomials, Factorization of polynomials over fields, Irreducible polynomials, Eisenstein criterion, ideals in F[x], unique factorization domain, principal ideal domain Gauss lemma, Euclidean Domain
Month: No	ovember		Module/Unit:	Sub units along d
Lectures	Practical	Total	Module Module	Sub-units planned 1) Modules, sub-modules, quotient modules, 2) homomorphism and isomorphism theorems, fundamental theorem for modules 3) completely reducible modules, free modules.
16	00	16		

Name And Sign of Faculty

(S. P. Patankar) HEAD

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. G. B. Kolhe

Programme: M. Sc. I Subject: Mathematics

Semester: II

Course Title: Linear Algebra

Month: January		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	Vector Space	 Direct sum of a vector space Dual Spaces, Annihilator of a subspace, Quotient Spaces Algebra of Linear transformations.
18	00	18		
Month: F	ebruary		Module/Unit:	Sub-units planned
Lectures	Practical	Total	Inner product	1) Adjoint of a linear transformation, Inner
15	00	15	space product spaces 2) Eigen values Eigen vectors of a linea transformation 3) Diagonalization 4) Invariant subspaces	
Month: March		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	Canonical forms	1) Canonical forms, Similarity of linear
17	00	17	transformations 2) Reduction to triangular forms, Nilpotransformations 3) Primary decomposition theorem, Jobbocks and Jordan forms 4) variants of linear transformations	
Month: April			Module/Unit:	Sub-units planned
Lectures	Practical	Total	Symmetric bilinear formss 1) Hermitian, Self adjoint, Unitary an normal linear transformation 2) Symmetric bilinear forms 3) skew symmetric bilinear forms 4) Group preserving bilinear forms	1) Hermitian, Self adjoint Unitary and
16	00	16		normal linear transformation 2) Symmetric bilinear forms 3) skew symmetric bilinear forms

S.B. Kilhes Name And Sign of Faculty

JUNE # 1964 8

(S. P. Patankar)

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. G. B. Kolhe

Programme: M. Sc. I Subject: Mathematics

Semester: II

Course Title: Measure and Integration

Month: March			Module/Unit:	Sub-units planned
Lectures	Practical	Total	3. Lebesgue Integral,	1) The General Lebesgue Integral, 2) Characterization of Riemann and Lebesgue Integrability, 3) Differentiability of Monotone Functions, Lebesgue's Theorem, 4) Functions of Bounded Variations:Jordan's Theorem
17	00	17		
Month: April			Module/Unit:	Sub-units planned
Lectures	Practical	Total	4. Absolutely Continuous Functions	1) Absolutely Continuous Functions, 2) Integrating Derivatives: Differentiating Indefinite Integrals, 3) Normed Linear Spaces, Inequalities of Young, Holder and Minkowski, 4) The Riesz-Fischer Theorem.
16	00	16		

G. B. kolhe Name And Sign of Faculty

ESTD. FO. JUNE HAT 1964

(S. P. Patankar)

HEAD

Department of Mathematics

Vivekanand College, Kolhapur

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. G. B. Kolhe

Programme: M. Sc. II Subject: Mathematics

Semester: III

Course Title: Functional Analysis

Month: August		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	Normed Linear	Normed linear spaces, Banach spaces,
18	00	18	Spaces	Quotient spaces, Continuous linear transformations, Equivalent norms, Finite dimensional normed spaces and properties, Conjugate space and separability, The Hahn- Banach theorem and its consequences
Month: S	eptember		Module/Unit:	Sub-units planned
Lectures	Practical	Total	Second conjugate	Second conjugate space, the natural
15	00	15	space	embedding of the normed linear space in its second conjugate space, Reflexivity of normed spaces, Weak * topology on the conjugate space. The open mapping theorem, Projection on Banach space, the closed graph theorem, the conjugate of an operator, the uniform boundedness principle
Month: O	ctober		Module/Unit:	Sub-units planned
Lectures	Practical	Total	Hilbert spaces	Hilbert spaces: examples and elementary
17	00	17		properties, Orthogonal complements, The projection theorem, Orthogonal sets, The Bessel's inequality, Fourier expansion and Perseval's equation, separable Hilbert spaces, The conjugate of Hilbert space, Riesz's theorem, The adjoint of an operator.
Month: N	ovember	Table	Module/Unit:	Sub-units planned
Lectures	Practical	Total	Self adjoint	Self adjoint operators, Normal and Unitary
16	00	16	operators	operators, Projections, Eigen values and eigenvectors of an operator on a Hilbert space, The determinants and spectrum of an operator, The spectral theorem on a finite dimensional Hilbert space.

-G.B. Wille Name And Sign of Faculty

ESTD. FOR JUNE IM 1964

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. G. B. Kolhe

Programme: M. Sc. II Subject: Mathematics

Semester: IV

Course Title: Field Theory

Month:			Module/Unit:	Sub-units planned
Lectures	Practical	Total	1. Field Extensions	Extension of a field, Algebraic
18	00	18		extensions, Algebraically closed fields, Derivatives and multiple roots, Finite Fields
Month: 1	February		Module/Unit:	Cub
Lectures		Total	2. Galois Theory	Sub-units planned
	Total		2. Galois Theory	Separable and normal extensions, Automorphism
15	00	15		groups and fixed fields, Fundamental theorem of Galois theory.
Month: N	Aarch		Module/Unit:	C.1
Lectures	Practical	Total	3. Finite Fields	Sub-units planned
17	00	17	3.1 linte Fields	Finite Fields Prime fields, Fundamental theorem of algebra, Cyclic extensions, Cyclotomic extensions.
Month: A	pril		M-11 ar	
Lectures	Practical	Total	Module/Unit:	Sub-units planned
6	00	16	4. Applications of	Constructions by ruler and compass Solvable
		10	Galois theory	groups ,Polynomials solvable by radical.

G . B. Kalles Name And Sign of Faculty



Department of mathematics Academic Year: 2019-20 Annual Teaching Plan

Name of Teacher: S. K. Kumbhar

Program: B.Sc. II

Semester: III

Subject: Mathematics

Coarse Title: Core Course Practical

In Mathematics (CCPM-III)

Month: July			Module/Unit I	Subunits Planed CCPM-III)	
Lectures	Practical	Total	Introduction		
00	02	02	milodaction	Introduction to Scilab Matrix	
Month: A	ugust		Module/Unit II	Subunits Planed	
Lectures	Practical	Total	Matrices	1) Accessing elements of matrices	
00	02	02		Submatrix	
Month: September			Module/Unit III	Subunits Planed	
Lectures	Practical	Total	Matrices and	Advanced Matrix operation	
00	02	02	Polynomials	2) Polynomial	
Month: Oc	tober	THE W	Module/Unit IV	Subunits Planed	
Lectures	Practical	Total	Graph	1) Plotting graphs	
00	02	02		Introduction to Scilab Programming	

Name and Signature of Teacher (S. k. kumbha)

ESTD. FOR 1964

Vivekanand College, Kolhapur (Autonomous) Department of mathematics Academic Year: 2019-20 Annual Teaching Plan

Name of Teacher: S. K. Kumbhar

Program: B.Sc. II

Semester: IV

Subject: Mathematics

Course Title: Core Course Practical In Mathematics (CCPM-III)

Month: November		Module/Unit I	Subunits Planed	
Lectures 00	Practical 02	Total 02	Interpolation	Numerical method to find the root of the given function Interpolation
Month: De	cember		Module/Unit II	Subunits Planed
Lectures	Practical	Total	Euler and Runge Kutta	1) Numerical solution of Ordinary
00	02	02	method	Differential Equation-I Euler's and Euler's Modified method 2) Numerical solution of Ordinary Differential Equation-II Runge Kutta Mathod
Month: Jar	nuary		Module/Unit III	Subunits Planed
Lectures	Practical	Total	Numerical Integration	1) Numerical Integration-I Trapezoidal rule
00	02	02		2) Numerical Integration-II Simpson's Rule
Month: Fe	bruary		Module/Unit IV	Subunits Planed
Lectures	Practical	Total	Numerical Method	1) Numerical Method for solution of system
00	02	02		of linear equations-I Guass-Jordan 2) Numerical Method for solution of system of linear equations-I Guass-Seidel

Name and Signature of Teacher

(s. k. kumbhar)

ESTD. FOR JUNE IN 1964

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Ms. S. K. Kumbhar

Programme: M. Sc. I Subject: Mathematics

Semester: I

Course Title: Classical Mechanics

Month: A	August		Module/Unit:	Sub-units planned
Lectures 18	Practical 00	Total	1 Mechanics of a particle,	1.Mechanics of a particle, Mechanics of a system of particles, conservation theorems, constra 2.Generalised coordinates, D' Alembert's Principle, Lagrange's equations of motion, sin applications of Lagrangian formulation 3. Kinetic energy as a homogeneous function generalised velocities, Non-conservation of total energy due to the existence of non-conserva forces. 4.Cyclic co-ordinates and generalised momentum, conservation theorems
Month: S	eptember		Module/Unit:	Sub-units planned
Lectures	Practical	Total	2. Euler-	1.Functionals, basic lemma in calculus of variations, Euler-
15	00	15	- Lagrange's equations	Lagrange's equations, first integral Euler- Lagrange's equations, the case of several dependent variables 2.Undetermined conditions, Geodesics in a plane and space, the minimum surface of revolution, the problem Brachistochrone 3. Isoperimetric problems, problem of maximum enclosed area. Hamilto Principle, Derivation of Hamilton's principle from D'Alembert's principle, Lagrange's equati of motion from Hamilton's principle. 4.Lagrange's equations of motion for nonconserva systems (Method of Langrange's undetermined multipliers)
Month: O	ctober		Module/Unit:	Sub-units planned
Lectures 17	Practical 00	Total 17	3. Hamiltonian function	Hamiltonian function, Hamilton's canonical equations of motion, Derivation of Hamilt equations from variational principle Physical significance of Hamiltonian, the principle of 1 action cyclic co-ordinates and Routh's procedure. Orthogonal transformations Properties transformation matrix, infinitesimal rotations
Month: N	ovember	TEN I	Module/Unit:	Sub-units planned
Lectures	Practical	Total	4. The	1. The Kinematics of rigid body motion: The independent co-
16	00	16	Kinematics of rigid body motion	ordinates of a rigid body, the Eule angles 2. Euler's theorem on motion of rigid body, Angular momentum and kinetic energy rigid body with one point fixed 3. the inertia tensor and moment of inertia, Euler's equations motion, Cayley- Klein parameters 4. Matrix of transformation in Cayley- Klein paramet Relations between Eulerian angles and Cayley- Klein parameters

Name And Sign of Faculty

ESTD. JUNE 1964 1964 (S. P. Patankar)
HEAD

Department of Mathematics Vivekanand College, Kolhapus

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Ms. S. K. Kumbhar

Programme: M. Sc. I Subject: Mathematics

Semester: II

Course Title: Numerical Analysis

Month: Jan	nuary		Module/Unit:	Sub-units planned
Lectures 18	Practical 00	Total	1. Iterative solutions	1.Iterative solutions of Transcendental & polynomial equations: Bisection method, 2. Iteration methods based on First degree equation 3.Secant method, Regula Falsi method Newton
Month: Feb	oruary		Module/Unit:	Raphson Sub-units planned
Lectures	Practical	Total	2. linear System	1.linear System of algebraic equations and
15	00	15	of algebraic equations and Eigenvalue problems	Eigenvalue problems: Iteration methods (Jacobi iteration method, Gauss seidel iteration method) 2.convergence analysis, Matrix factorization methods (Doo little reduction, Crout reduction), 3.Eigen values and eigenvectors, Gerschgorin theorem, Brauer theorem, Jacobi method for symmetric matrices 4. Householder's method for symmetric matrices power method.
Month: March		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	3. Interpolation	1.Interpolation, differentiation and integration:
17	00	17		Lagrange and Newton interpolation, Truncation error bounds, 2.Newtons divided difference interpolation, finite difference operators, Hermites interpolation, 3. Cubic spline interpolation, numerical differentiation, methods based on interpolation, numerical integration 4. Error analysis, methods based on interpolation Newton cotes methods, Error estimates for trapezoidal and Simpson's rule.
Month: Apr			Module/Unit:	Sub-units planned
Lectures 16	Practical 00	Total 16	4. Numerical solution of ordinary differential equations	1. Numerical solution of ordinary differential equations: Euler's method, analysis of Euler's method, 2. Backward Euler's method, order of Euler's method, Explicit Runge -Kutta method of order two and four, midpoint method 3. Taylor series method, convergence and stability of numerical methods 4. Truncation error, error analysis.

Name And Sign of Faculty

ESTD. CO JUNE 1964 8

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Ms. S. K. Kumbhar

Programme: M. Sc. I Subject: Mathematics

Semester: III

Course Title: Operational Research- I

Month: A	ugust		Module/Unit:	Sub-units planned
Lectures 15	Practical 00	Total	Convex Set and LPP:	1) Convex set and their properties. 2) Lines, hyperplanes and polyhedral convex set and its theorems. 3) Convex combination of vectors, convex hull Simplex and convex function. 2) General form of linear programming and Matrix form of linear programming. 3) Definition of standard LPP and theorems of it.
Month: S	eptember		Module/Unit:	Sub-units planned
18 00 18	Total	Simplex Method:	Computational procedure of simplex method. Problem of degeneracy, revised simplex method in standard form- I Duality in linear programming and duality theorems.	
			M 11 m	3)Integer linear programming: Gomory's cutting plane method, Branch and Bound method.
Month: O Lectures	Practical	Total	Module/Unit:	Sub-units planned
15	00	15	Dynamic Programming:	Bellman's Principle of Optimality Application of Dynamic Programming in production Inventory control and linear programming.
Month: N	ovember		Module/Unit:	Sub-units planned
Lectures	Practical	Total	Non linear	1) Unconstrained problems of maximum and
16	00	16	Programming:	minimum 2) Lagrangian method Kuhn Tucker necessary and sufficient conditions 3) Wolfe's method and Beale's method

Name And Sign of Faculty

ESTD. JUNE HI

Department of mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Ms. S. K. Kumbhar

Programme - M. Sc II Subject: Mathematics

Semester - IV

Course Title: Operation Research II

Month Jan	uary		Module/Unit: I	Course Title: Operation Research II Sub-units planned
Lectures 16	Practicals	Total	Replacement Policy	Replacement Problems Failure mechanism of items Replacement policy for items whose maintenance cos increases with time and money values is constant Group replacement of items that fail completely
Month Feb	ruary	1	Module/Unit: II	Sub-units planned
Lectures	Practicals	Total	Inventory Models	Inventory – Cost involved in inventory problems variables in inventory problem, symbols in inventory
16		16		concept of EOQ, 3. Methods with calculus method 4. Model I (a) The economic lot size system with uniform demand 5. Model I (b) Economic lot size with different rates of demand in different cycles. 6. Model I (c) Economic lot size with finite Rate of Replenishment.,(EOQ production model) 7. EOQ model with shortages
Month : March		Module/Unit: II,III	Sub-units planned	
Lectures	Practicals	Total	Inventory Models	Model II(a) The EOQ with constant rate of demand,
16		16	Queuing Theory	scheduling, time constant. 1. Queuing Theory 2. Queuing systems 3. Queuing Problems: transient and steady states, traffic intensity, Probability distributions in Queuing systems 4. Poisson process, Properties, Exponential process, 5. Classification of Queuing Models
Month : Ap	ril		Module/Unit: III, IV	Sub-units planned
Lectures	Practicals	Total	Queuing Theory	Model I:(M/M/I): (∞/FCFS), Model II (a): General Erlang queuing model.
15 OSJ	Rumbha	15	Information Theory	Information Theory: Communication process, Quantitative measure of information Uniqueness theorem, Chanel capacity, efficiency and redundancy Encoding, Shannon Fano encoding procedure PERT / CPM: Applications of PERT / CPM techniques, Network diagram, representations. Rules for constructing the Network diagram determination of the critical path.

Name And Sign of Caculty

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. P.S. Mane

Programme: M. Sc. I Subject: Mathematics Semester: I

Course Title: Advanced Calculus

Month: A	Month: August		Module/Unit:	Sub-units planned
Lectures	Practical	Total	Functions of	1.Functions of Bounded Variation& Rectifiable Curves -
18	00	18	Bounded Variations	Introduction, Properties of monotonic functions 2. functions of Bounded Variation(B.V.), Total Variation(T.V.), additive property of TV, TV on [a, x] as function of x, 3.function of B.V. expressed as the difference of increasing functions, continuous functions of B.V. 4. curves & paths, rectifiable paths, line integral,
Month: September		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	Riemann	1. The Riemann-Stieltje's (R.S.) Integral Introduction, notation,
15	00	15	Stieltje's Integral	definition, linear property, integration by parts, 2.change of variable, reduction to Riemann integration, Step functions as integrator, reduction to finite sum, Euler's summation formula, 3.additive & linearity property of upper & lower integrals, Riemann's condition, Comparison theorem, 4.Integration of B.V. Necessary condition for existence of RS integrals,

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Name And Sign of Faculty

[P. S. Mane]

ESTD. IN 1964 IN 1964

(S. P. Patankar)

HEAD
Department of Mathematics
Vivekanand College, Kolhapur

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. P.S. Mane

Programme: M. Sc. I Subject: Mathematics Semester: I

Course Title: Complex Analysis

Month: A	Month: August		Module/Unit:	Sub-units planned
Lectures 18	Practical 00	Total	1. Analytic Functions	 Power series, radius of convergence, Analytic functions, zeros of an analytic function, Cauchy-Riemann equations, Harmonic functions, Mobius transformations
Month: Se	eptember		Module/Unit:	Sub-units planned
Lectures Practical Total		2. Cauchy Integral	Power series representation of analytical function.	
15	00	15		2. Liouville's theorem, Fundamental theorem of algebra, 3. Maximum modulus theorem, the index of closed curve, 4. Cauchy's theorem and integral formula, Morera's theorem.
Month: O	ctober		Module/Unit:	Sub-units planned
Lectures	Practical	Total	3. Singularities	1. Counting zero's, The open mapping
17	00	17		theorem, Goursat's Theorem. 2. Classification of singularities, Laurent series development. 3. Casorati- weierstrass theorem.
Month: N	ovember		Module/Unit:	Sub-units planned
Lectures		Total	4. Residues	1. The argument principle, Rouche's theorem,
16	00	16		the maximum principle. Schwar's lemma 2. Residues, residues and its applications to characterize conformal maps.

Name And Sign of Faculty

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Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. P.S. Mane.

Programme: M. Sc. I Subject: Mathematics Semester: II

Course Title: Measure and Integration

Month: January		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	1. Lebesgue Outer	1) Open Sets, Closed Sets and Borel Sets
18	00	18	Measure	 2) Lebesgue Outer Measure, The sigma algebra of Lebesgue Measurable Sets, Countable Additivity 3) Continuity and Borel-Cantelli Lemma 4) nonmeasurable set.
Month: F	ebruary		Module/Unit:	Sub-units planned
Lectures	Practical	Total	2. Measurable Functions	1) Sums, Product and Composition of
15	00	15	- Functions	Measurable Functions, 2) Sequential Pointwise limits and Simple Approximation. Littlewood's Three Principles 3) Egoroff's Theorem and Lusin's Theorem, Lebesgue 4) Integration of a Bounded Measurable Function, Lebesgue Integration of a Nonnegative Measurable Function.

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Boul (S. P. Patankar)

HEAD

Department of Mathematics Vivekanand College, Kolhanus

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. P. S. Mane

Programme: M. Sc. I Subject: Mathematics

Semester: II

Course Title: Topology

Month: January		Module/Unit:	Sub-units planned	
Lectures	Practical	Total	1. Topological	1. Topological spaces, Examples
18	00	18	spaces	 2. Limit points, closed set and closure 3. Interior, Exterior, neighbourhood 4. Different ways of defining topology. 5. Bases, Subbases, subbases of topological subspaces 6. Hereditary Properties
Month: F	ebruary		Module/Unit:	Sub-units planned
Lectures	Practical	Total	2. Connected	1 Connected spaces, components
15	00	15	spaces,	2 connected subspaces of real line, compact space one point compactification, 3 continuous function 4. Homeomorphisms 5. Topological Properties
Month: M	larch		Module/Unit:	Sub-units planned
Lectures	Practical	Total	3. Separable	1. Separation Axioms: spaces
17	00	17	spaces	2. First and second axiom spaces3. Separable spaces4. Lindelof spaces5. Regular and spaces6. Normal and space
Month: A	pril		Module/Unit:	Sub-units planned
Lectures	Practical	Total	4. Completely	1. Completely regular spaces
16	00	16	regular spaces	Completely normal and spaces Product spaces

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Name And Sign of Faculty

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(S. P. Patankar)

HEAD

Department of Mathematics Vivekanand College, Kolhapur

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. P. S. Mane

Programme: M. Sc. II

Semester: III

Subject: Mathematics

Course Title: Advanced Discrete Mathematics

Month: August			Module/Unit:	Sub-units planned
Lectures 18	Practical 00	Total	Graph Theory	Graph Theory: Definition, examples and properties, Simple graph, Graph isomorphism, Bipartite graphs, Complete Bipartite graph, regular graph, sub-graphs spanning sub-graph, Edge deleted sub-graph, Vertex deleted sub-graph, Union and intersection of two graphs, complements of a graph, self complementary graph, paths and cycles in a graph, Eccentricity, radiu and diameter of a connected graph, Peterson graph, Wheel graph. Isomorphism of Graphs. First theorem of graph theory
Month: September			Module/Unit:	Sub-units planned
Lectures	Practical	Total	Adjacency matrix	The Matrix representation of a graph, Adjacency matrix and Incidence matrix of a graph, Definition and simple properties of a tree, bridges, spanning trees, Inclusion exclusion principle. Simple examples on Inclusion exclusion principle Pigeonhole principle, examples on Pigeonhole principle
15	00	15		
Month: October			Module/Unit:	Sub-units planned
Lectures	Practical	Total	Recurrence Relation	Discrete numeric functions and sum and product of two numeric functions, generating functions, Linear recurrence relations with constant coefficients Particular solutions of linear recurrence relations, Total solutions.
17	00	17		
Month: November			Module/Unit:	Sub-units planned
Lectures	Practical	Total	Lattices	Ordered sets and lattices Hasse diagrams of posets ,Supremum and infimum ,Isomorphic ordered sets, well-ordered sets,Lattices, Bounded lattices , Distributive lattices, Complements complemented lattices , Boolean algebra, Basic definitions, Basic theorems, duality, Boolean algebras as lattices
16	00	16		

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(S. P. Patankar)

HEAD

Department of Mathematics Vivekanand College, Kolhapu:

Department of Mathematics Academic Year: 2019-20

Annual Teaching Plan

Name of the teacher: Mr. P.S. Mane

Programme: M. Sc. II

Semester: IV

Subject: Mathematics Course Title: Integral Equation

Month: August			Module/Unit:	Sub-units planned
Lectures	Practical	Total	Integral	Classification of linear integral equations, Conversion
18	00	18	equations	of initial value problem to Volterra integral equation, Conversion of boundary value problem to Fredholm integral equation, Separable kernel, Fredholm integral equation with separable kernel, Fredholm alternative. Homogeneous Fredholm equations and eigenfunctions.
Month: September			Module/Unit:	Sub-units planned
Lectures	Practical	Total	Fredholm	Solutions of Fredholm integral equations by: Successive approximations Method, Successive substitution Method, Adomian decomposition method, Modified decomposition method, Resolvent kernel of Fredholm equations and its properties, Solutions of Volterra integral equations: Successive approximations method, Neumann series, Successive substitution Method.
15	00	15	integral equations	
Month: October			Module/Unit:	Sub-units planned
Lectures	Practical	Total	Volterra	Solution of Volterra integral equations by Adomian
17	00	17	equations decomposition method, and the modified demethod, Resolvent kernel of Volterra equations properties, Convolution type kernels, Applia Laplace and Fourier transforms to solutions integral equations, Symmetric Kernels: Fundamental properties of eigenvalues and eigenfunction symmetric kernels, expansion in eigenfunction.	decomposition method, and the modified decomposition method, Resolvent kernel of Volterra equations and its properties, Convolution type kernels, Applications of Laplace and Fourier transforms to solutions of Volterra integral equations, Symmetric Kernels: Fundamental properties of eigenvalues and eigenfunctions for symmetric kernels, expansion in eigenfunctions and bilinear form
Month: No			Module/Unit:	Sub-units planned
Lectures	Practical	Total	equations Solution of symmetric integrated method in the theory of integrated volterra and Fredholm integrated Adomian decomposition method in the theory of integrated volterra and Fredholm integrated volter v	Hilbert Schmidt Theorem and its consequences,
16	00	16		Solution of symmetric integral equations, Operator method in the theory of integral equations, Solution of Volterra and Fredholm integrodifferential equations by Adomian decomposition method, Green's function: Definition, Construction of Green's function and its use in solving boundary value problems.

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ESTD. JUNE IN 1964 CS

(S. P. Patankar)

HEAD
Department of Mathematics
Vivekanand College, Kolhapus